

ELECTROSTATIC CHARGING WHEN CONDUCTIVE LIQUIDS DEWET SOLID SURFACES

Third European Conference on Plant & Process Safety

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ABOUT ME



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Nano- and
Microfluidics

Aaron Ratschow

Education

BS Ind. Eng. (TU Darmstadt)

BS Mech. Eng. (TU Darmstadt)

MS Proc. Eng. (TU Darmstadt)

Experience

2014-2017 Junior Comtec, Consultant/Project Manager

2018 Bayer PPS EXS, Intern

2018-2020 Bayer PPS EXS, Simulation Specialist

2020- TU Darmstadt NMF, External PhD Candidate



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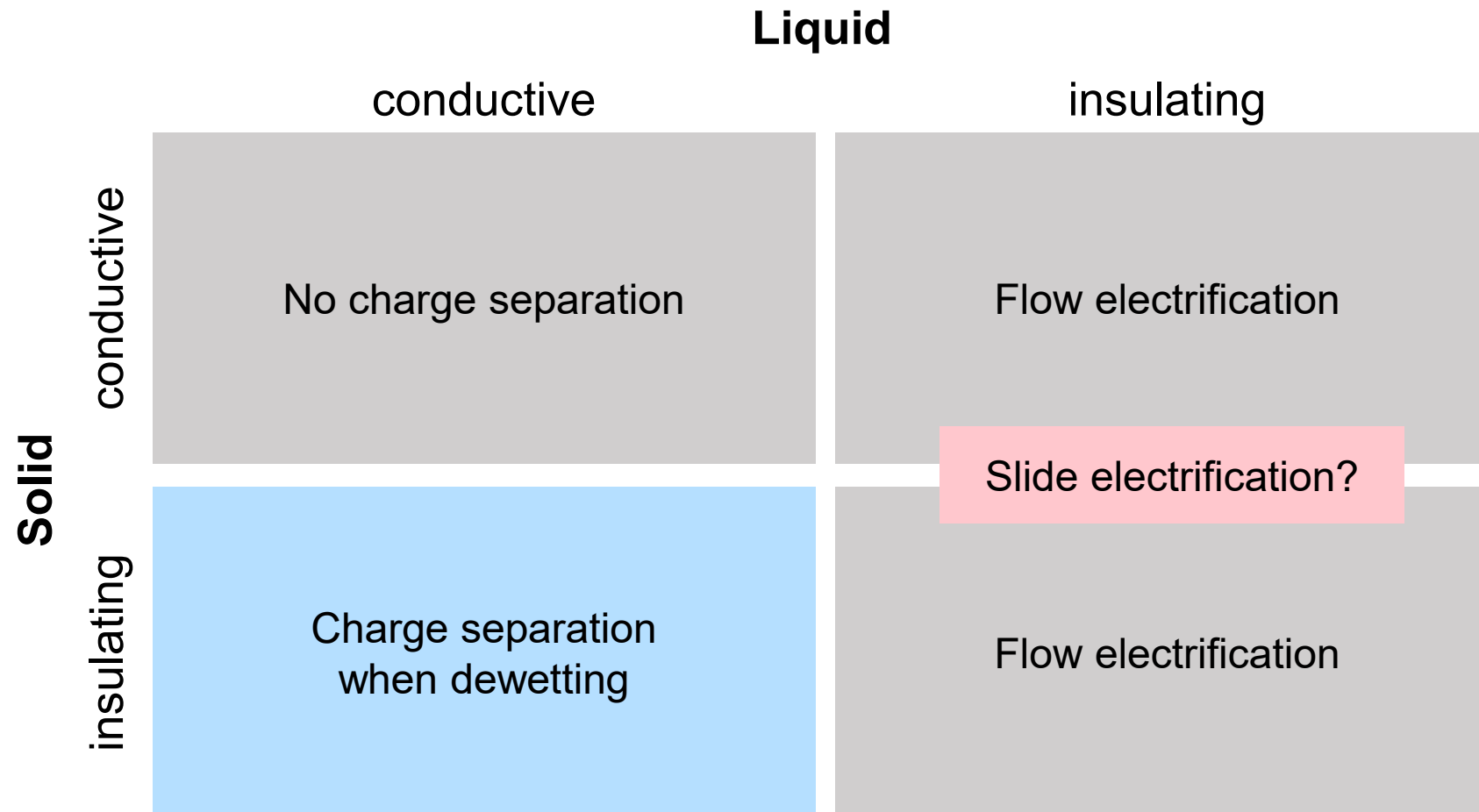
SOLID-LIQUID CONTACT ELECTRIFICATION



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CHARGE SEPARATION AT CONTACT LINES...

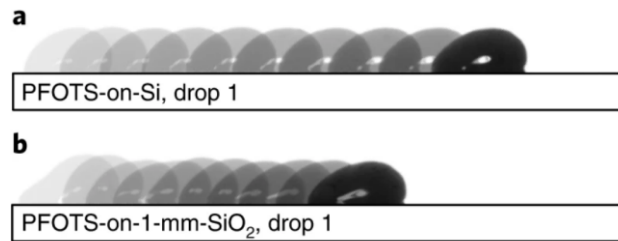


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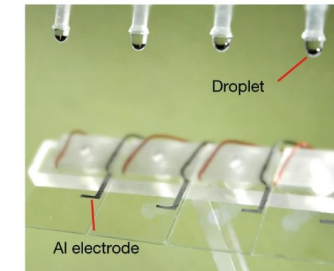
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...influences drop trajectories



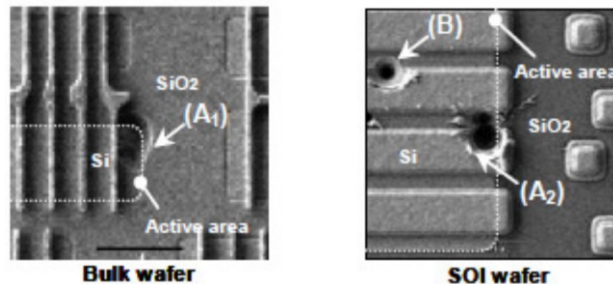
[Li et al., Nat. Phys. 2022]

...can be used for energy harvesting



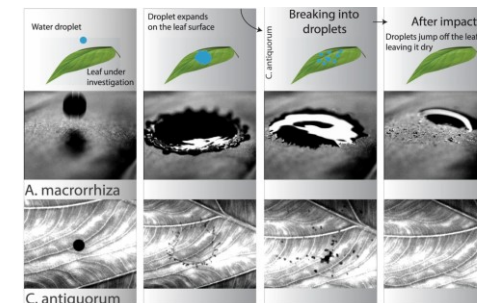
[Xu et al., Nat. 2020]

...damages semiconductors during rinsing



[Hagimoto et al., Solid State Phenom. 2009]

...even happens on plant leaves



[Armiento et al., Commun. Mat. 2022]

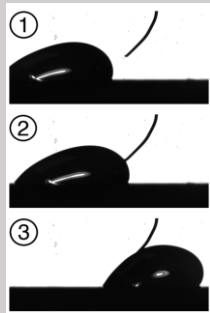
EXPERIMENTS AND SIMULATIONS HELP DEVELOPING A THEORY



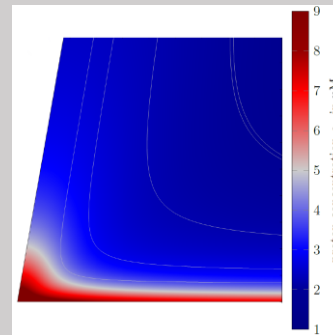
Observation

Prediction

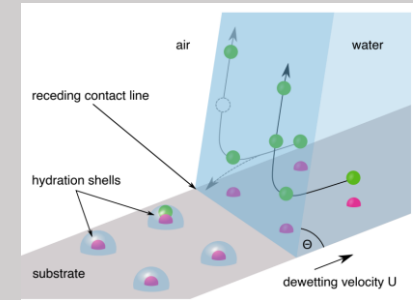
Experiments and Measurements



Numerical Simulations



Theory



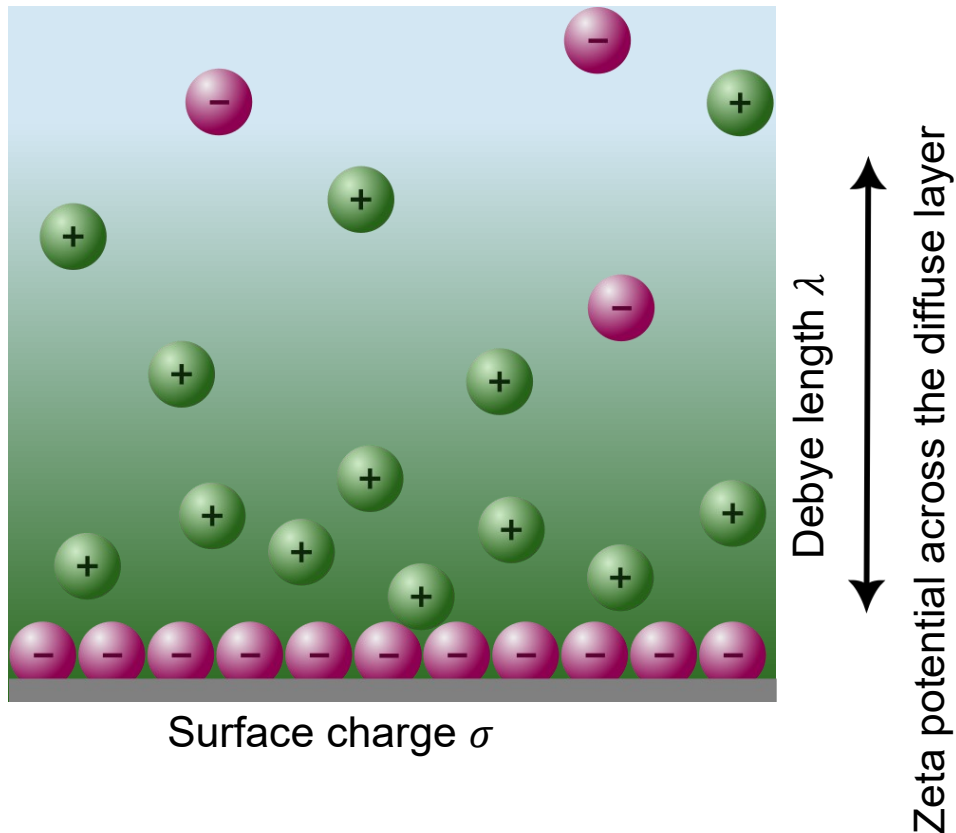
Cost

Practicality

ELECTRIC DOUBLE LAYERS



Electric double layer



- Charged solid surface surface
 - Characterized by zeta potential
- Diffuse layer of countercharges in liquid
 - Thickness is Debye length $\sim 1-500$ nm
 - Described by Poisson-Boltzmann Theory

Origins of surface charge

- Dissociation of surface groups
- Specific adsorption of ions
- Dissolution of the solid

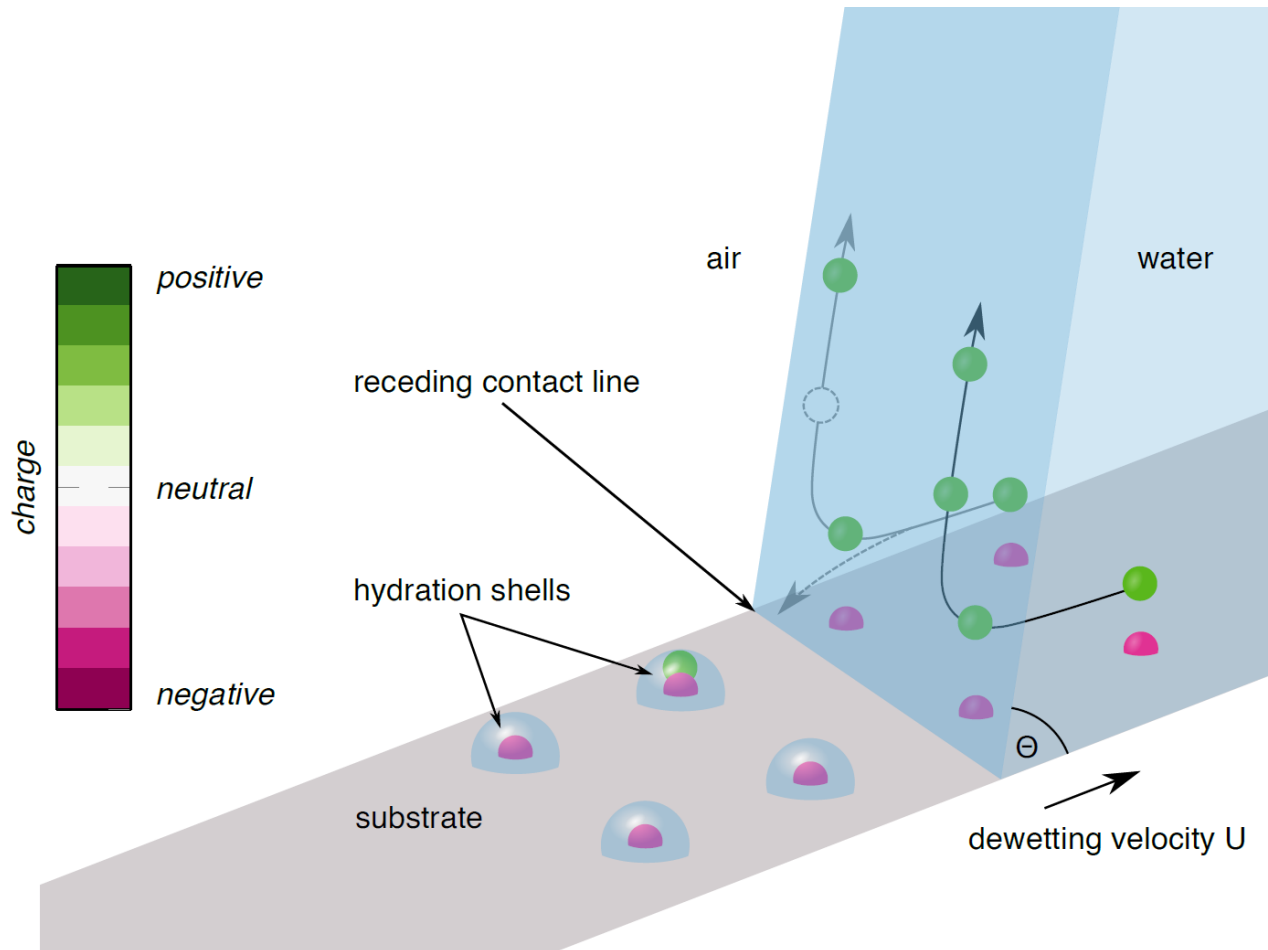
FUNDAMENTAL CHARGE SEPARATION MECHANISM



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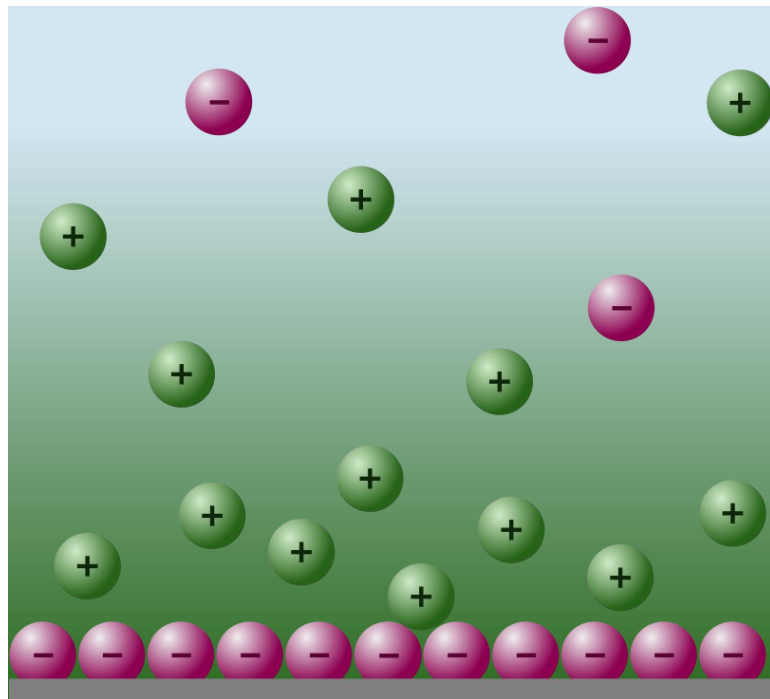
Charge separation mechanism

- Electric double layer of bound surface charge and layer of diffuse charge in liquid
- Receding contact line dewets bound surface charge
- Diffuse charge remains in the liquid

ELECTRIC DOUBLE LAYER AND SURFACE CHEMISTRY



Electric double layer

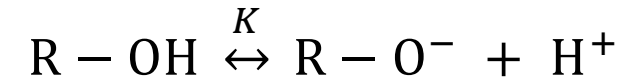


Surface charge σ

Debye length λ

Zeta potential across the diffuse layer

- Surfaces like glass deprotonate upon contact with liquid



- Diffuse layer structure and chemical reaction on surface are coupled through concentrations and electric fields
- Equilibrium surface charge depends on diffuse layer and chemistry, well defined for flat surfaces

→ **What determines electric double layer structure at receding contact line?**

BACKGROUND: WETTING AND CONTACT ANGLES

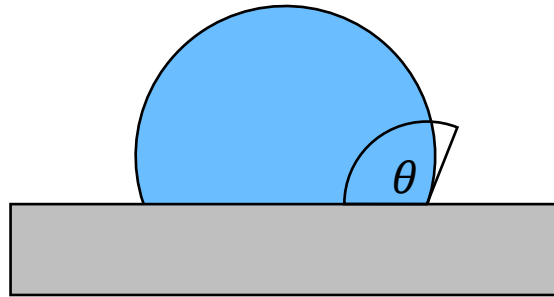


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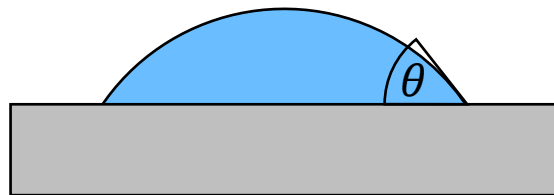


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Hydrophobic contact angle

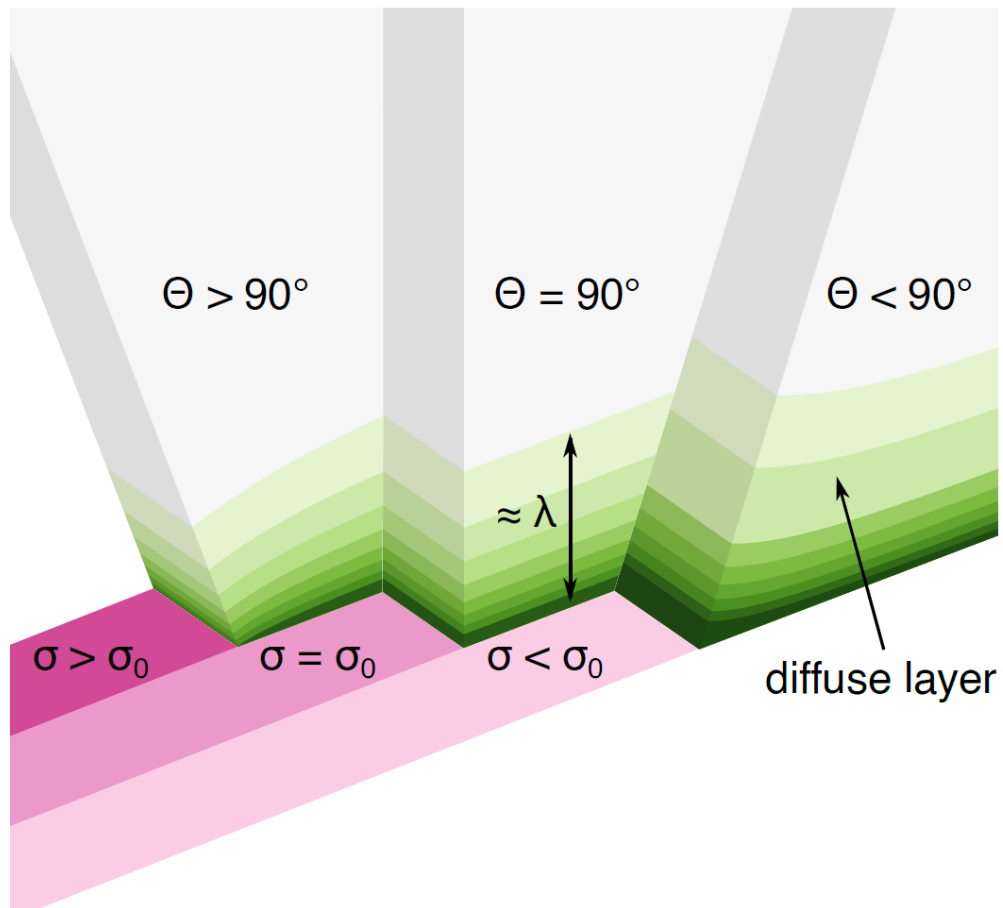


Hydrophilic contact angle



- The contact angle is the angle that forms between a solid surface and that of a drop or puddle at the solid-liquid-gas three-phase contact line
- It depends only on the materials and not on the shape of the liquid drop or puddle
- Surfaces with contact angles $>90^\circ$ are called hydrophobic and $<90^\circ$ hydrophilic
- Movement of the contact line in the direction of the solid is called wetting and in the direction of the liquid is called dewetting
- High wetting velocities increase and dewetting velocities decrease the local contact angle

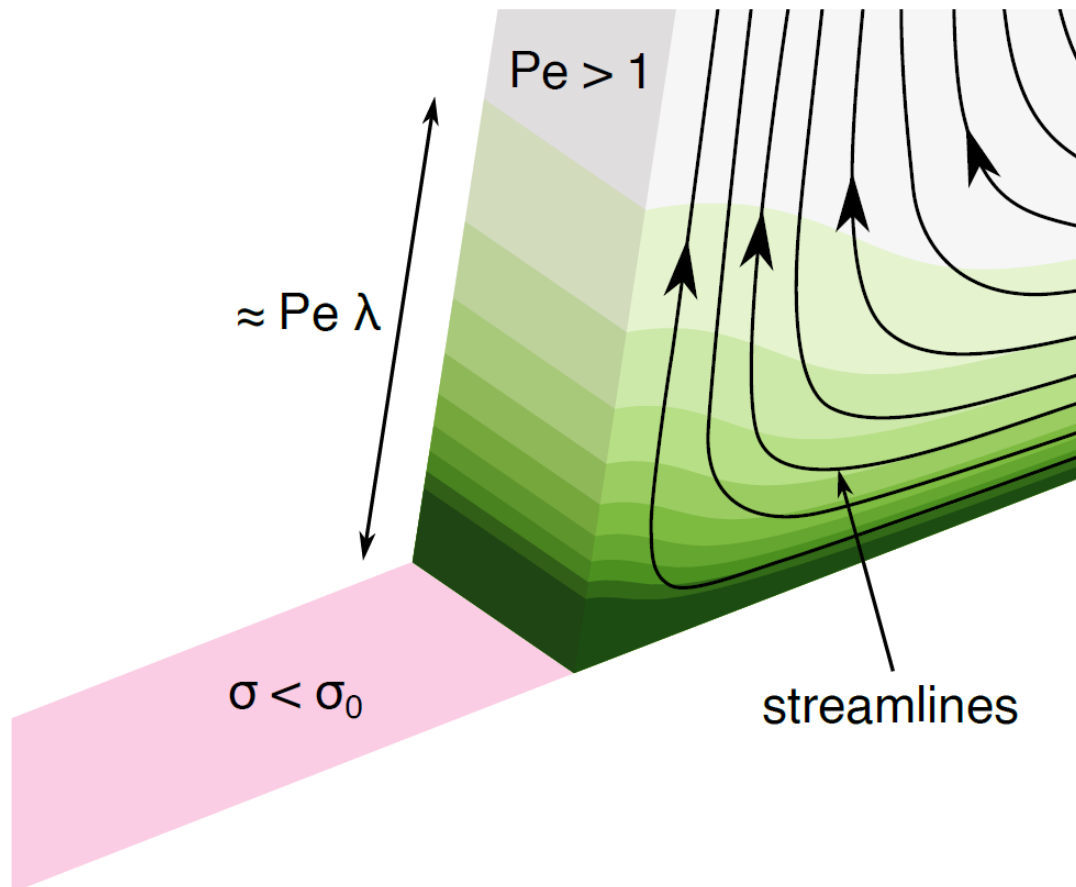
INFLUENCE OF THE CONTACT ANGLE



- Close to the contact line, EDL structure is warped by the liquid-gas interface
- Bound surface charge (pink) increases with the contact angle
- Linearized analytical expression for the effect found by Dörr & Hardt (Phys. Rev. E, 2012)

$$\frac{\sigma_0}{\sigma} = g(\theta) = \frac{2\pi}{\theta}$$

INFLUENCE OF LIQUID FLOW



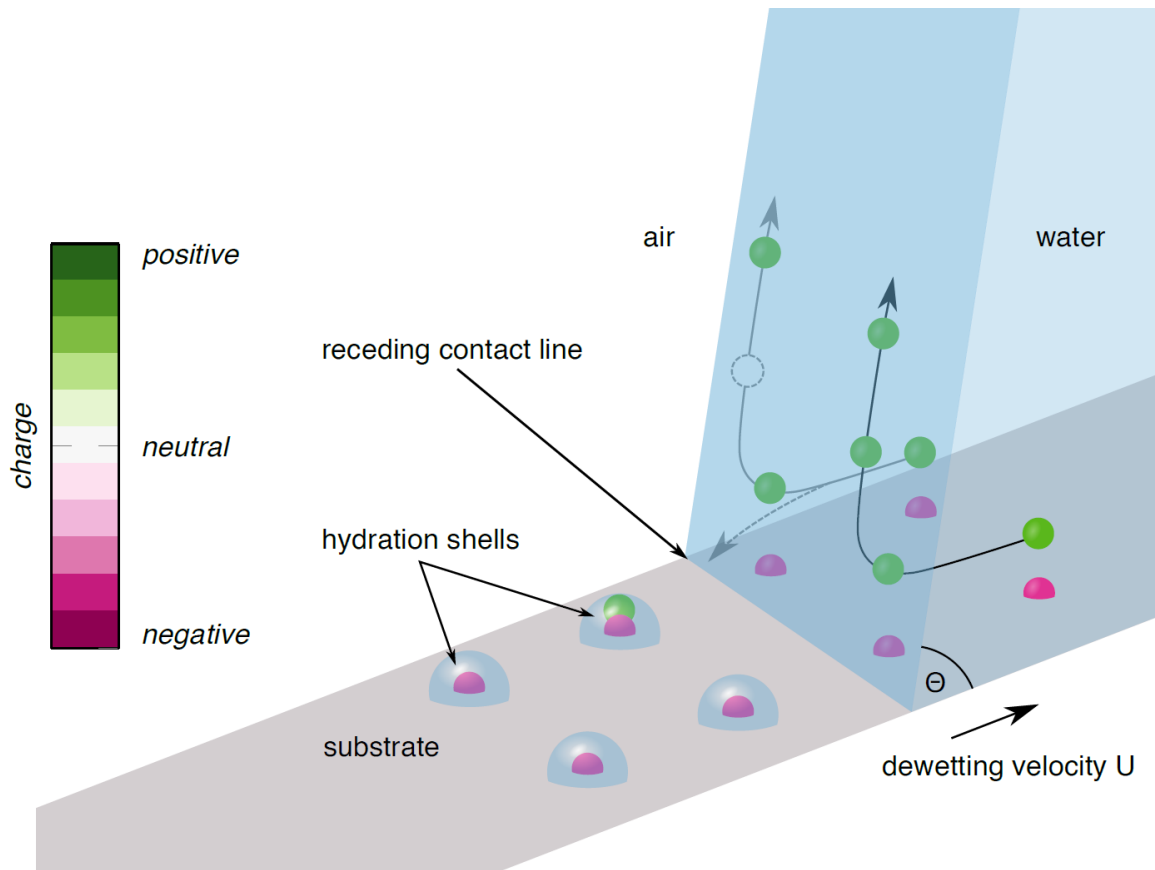
- Substantial wall-normal flow along the liquid-gas interface near the contact line
- Influence of flow is measured by Péclet number

$$Pe = \frac{U\lambda}{D}$$

- Advective transport expands the Debye length to

$$\lambda_{\text{eff}} = \frac{2}{\sqrt{Pe^2 + 4} - Pe} \lambda$$

ANALYTICAL MODEL FOR SURFACE CHARGE



Full analytical model for surface charge at receding contact line

$$\frac{\phi_{CL}(Pe)}{\phi_T} = \frac{1}{2}(K + 1) - \sqrt{\frac{1}{4}(K + 1)^2 + KC\lambda_{eff}/\lambda}$$

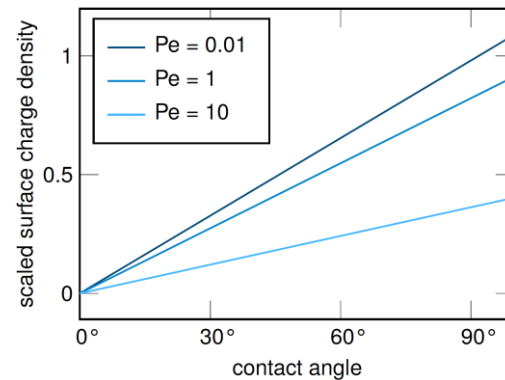
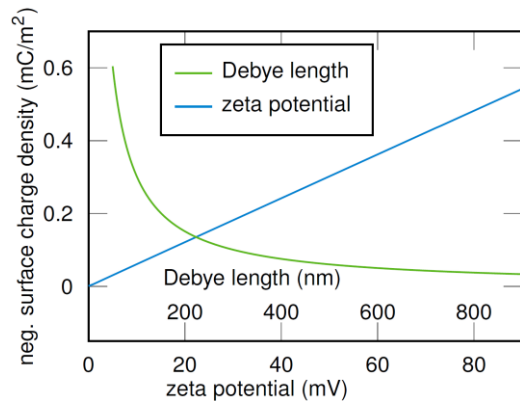
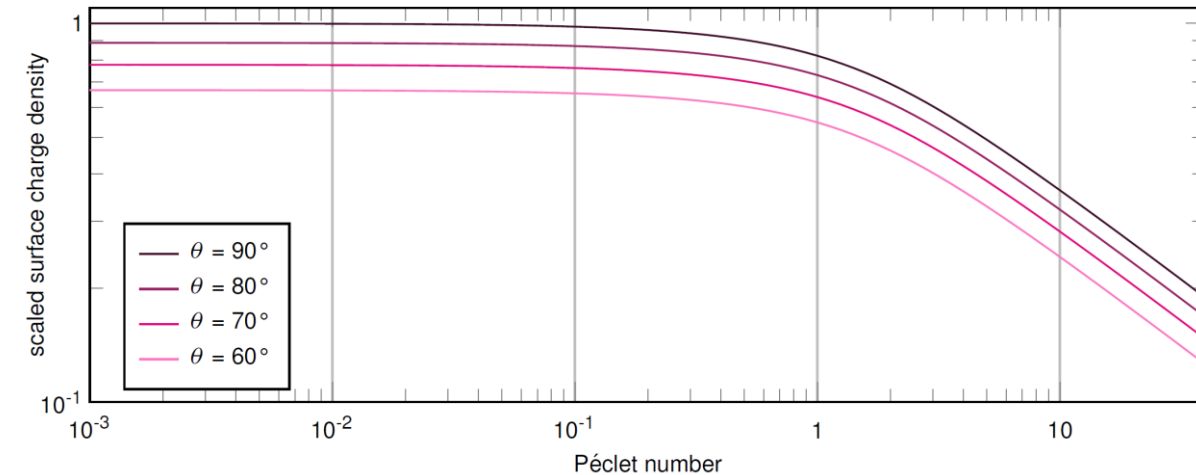
$$\sigma_{CL}(\theta, Pe) = \frac{\varepsilon\phi_{CL}}{\lambda_{eff}g(\theta)}$$

Effects on the atomistic scale

- Dewetted surface charges have hydration shells, some of which carry a counterion
- Net surface charge is thus reduced by factor $\omega = O(0.1 - 1)$ independent of θ, Pe

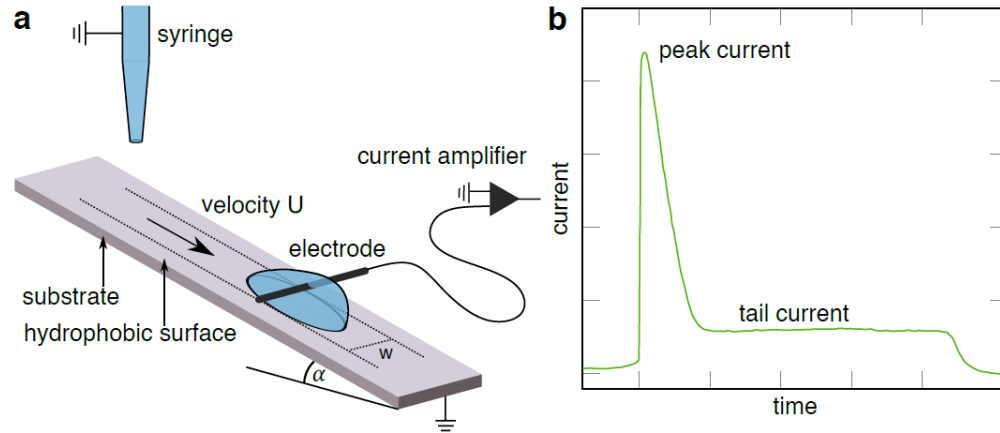
→ **Model should correctly predict trends**

THEORETICAL PREDICTIONS FOR SURFACE CHARGE DENSITY

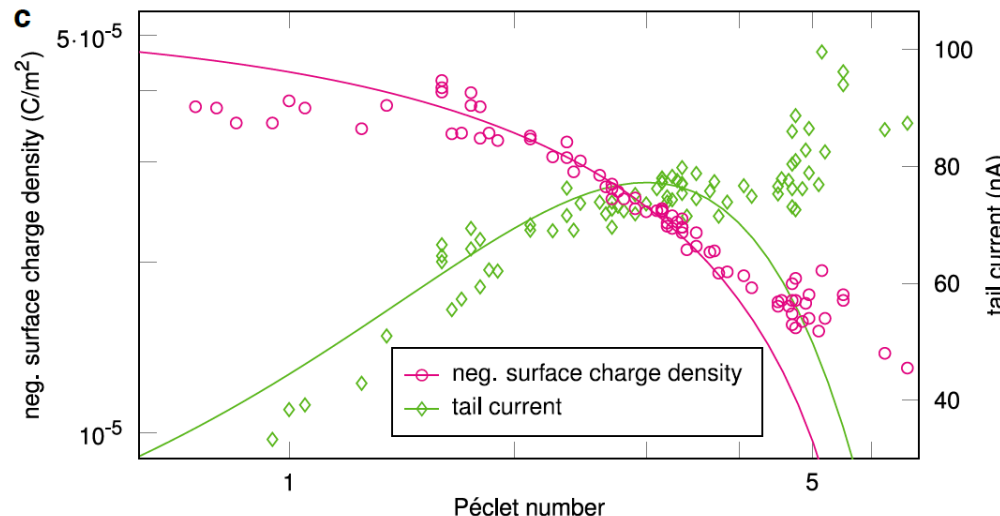


- Two regimes in Pe , high velocities surprisingly reduce charge separation, caused by increased effective Debye length
- Charge separation is strongest on hydrophobic surfaces with high contact angles
- Higher charges on surfaces with higher zeta potential

EXPERIMENTAL VALIDATION



- Validation with sliding drop experiments
- Charge separation during electrode contact measured by tail current
- Analytical calculations use 'Cox-Voinov model' for dynamic contact angle → loses validity around $Pe = 4$



→ **Model prediction of decreasing charge separation with increasing velocity clearly reflected in experiment**

IMPLICATIONS



- Charge separation even for grounded liquids¹
- Ungrounded puddles or reservoirs can acquire kilovolt potentials and lead to discharge²
- **Universal phenomenon** for dewetting with conductive liquids^{1,3}
- Charge separation leads to substantial contact angle hysteresis³
- Special relevance for liquids of **medium conductivity**

Condensation processes

Cleaning and rinsing

Draining of equipment

Dewetting **faster is safer**, for Péclet numbers larger than one. Rule of thumb:

$$Pe = \frac{\tilde{U}}{10} * \sqrt{\frac{\epsilon_r}{\tilde{k}}}$$

\tilde{U} : dewetting velocity in m/s, ϵ_r : dielectric constant of liquid, \tilde{k} : liquid conductivity in S/m

UNDERLYING RESEARCH



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1. **A. D. Ratschow**, L. S. Bauer, P. Bista, S. A. L. Weber, H.-J. Butt, S. Hardt, *How charges separate when surfaces are dewetted*, 2023, arXiv, <https://doi.org/10.48550/arXiv.2305.02172>
2. P. Bista*, **A. D. Ratschow***, H.-J. Butt, S. A. L. Weber, *High Voltages in Sliding Water Drops*, 2023, Journal of Physical Chemistry Letters, <https://doi.org/10.1021/acs.jpcclett.3c02864>
3. X. Li*, **A. D. Ratschow***, S. Hardt, H.-J. Butt, *Surface Charge Deposition by Moving Drops Reduces Contact Angles*, 2023, Physical Review Letters, <https://doi.org/10.1103/PhysRevLett.131.228201>



Lisa S. Bauer



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Prof. Hans-Jürgen Butt



Prof. Steffen Hardt



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Max-Planck-Institut für Polymerforschung
Max Planck Institute for Polymer Research



Interaction between Transport and Wetting Processes



European Research Council
Established by the European Commission

ERC in Horizon 2020

Any Questions?

THANK YOU FOR YOUR ATTENTION



APPENDIX: RULE OF THUMB DERIVATION

Péclet number definition

$$Pe = \frac{U\lambda}{D}$$

Debye length as a function of conductivity k

$$\lambda = \sqrt{\frac{\varepsilon_0 \varepsilon_r D}{k}}$$

Putting it together

$$Pe = \sqrt{\frac{U^2 \varepsilon_0 \varepsilon_r D}{D^2 k}} = U \sqrt{\frac{\varepsilon_r}{k}} \sqrt{\frac{\varepsilon_0}{D}} = \tilde{U} * \sqrt{\frac{\varepsilon_r}{\tilde{k}}} * 0.0941 \approx \frac{\tilde{U}}{10} * \sqrt{\frac{\varepsilon_r}{\tilde{k}}}$$

Here, we used the fact that $D \approx 10^{-9} \text{m}^2/\text{s}$ for nearly all electrolytes. \tilde{U} and \tilde{k} are the dewetting velocity and the liquid conductivity in SI units, m/s and S/m respectively.

APPENDIX: FULL ANALYTICAL MODEL FOR CHARGE SEPARATION



Details in our paper: <https://arxiv.org/pdf/2305.02172.pdf>

$$\frac{\phi_{\text{CL}}(Pe)}{\phi_{\text{T}}} = \frac{1}{2} (K + 1) - \sqrt{\frac{1}{4} (K + 1)^2 + KC\lambda_{\text{eff}}/\lambda}$$

$$\sigma_{\text{CL}}(\theta, Pe) = \frac{\varepsilon\phi_{\text{CL}}}{\lambda_{\text{eff}}g(\theta)}$$

with

$$K = (\zeta/\phi_{\text{T}} - 1)/(C\phi_{\text{T}}/\zeta + 1)$$

$$C = e\Gamma\lambda/(\varepsilon\phi_{\text{T}})$$

$$Pe = U\lambda/D$$

$$g(\theta) = \pi/(2\theta)$$

$$\lambda_{\text{eff}} = \frac{2}{\sqrt{Pe^2 + 4} - Pe} \lambda$$

APPENDIX: FULL VARIABLE LIST



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Symbol	Variable
σ_{CL}	Dewetted surface charge density on the solid surface
ϕ_{CL}	Surface potential at contact line
ϕ_T	Thermal potential, usually 25 mV at ambient conditions
λ	Debye length
ε	Dielectric permittivity of the liquid
ζ	Native zeta potential of the liquid/solid pair
e	Elementary charge
Γ	Active site density of the surface, usually 5/nm ² *
U	Dewetting velocity
D	Ion diffusivity, usually $\approx 10^{-9}$ m ² /s
θ	Contact angle

**results are insensitive to this parameter, even when it is off by one or two orders of magnitude.*

APPENDIX: ADDITIONAL READING



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Practical handbook on electrostatics:

Static Electricity, Understanding, Controlling, Applying,
Lüttgens, Günter / Lüttgens, Sylvia / Schubert, Wolfgang

<https://www.wiley-vch.de/de/fachgebiete/ingenieurwesen/static-electricity-978-3-527-34128-3>

Experimental work on the charging of high-pressure water jets:

Elektrostatische Aufladung beim Versprühen von Wasser – Untersuchung praxisrelevanter Prozesse bei der Reinigung kleiner und mittelgroßer Behälter.

Baumann, F., M. Himstedt, D. Möckel, M. Thedens und M. Beyer, 2022.

<https://oar.ptb.de/resources/show/10.7795/110.20220629>